An analytical approach to similarity measure selection for self-training

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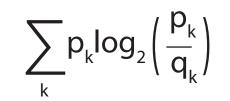


Proposal

Use performance indicator δ based on the similarity score beween test and training corpus (d_1) and test corpus and the unlabeled data (d_3) to identify good self-training setups:

Kullback-Leibler

KL(P; Q) =



Second step: labeling the test data

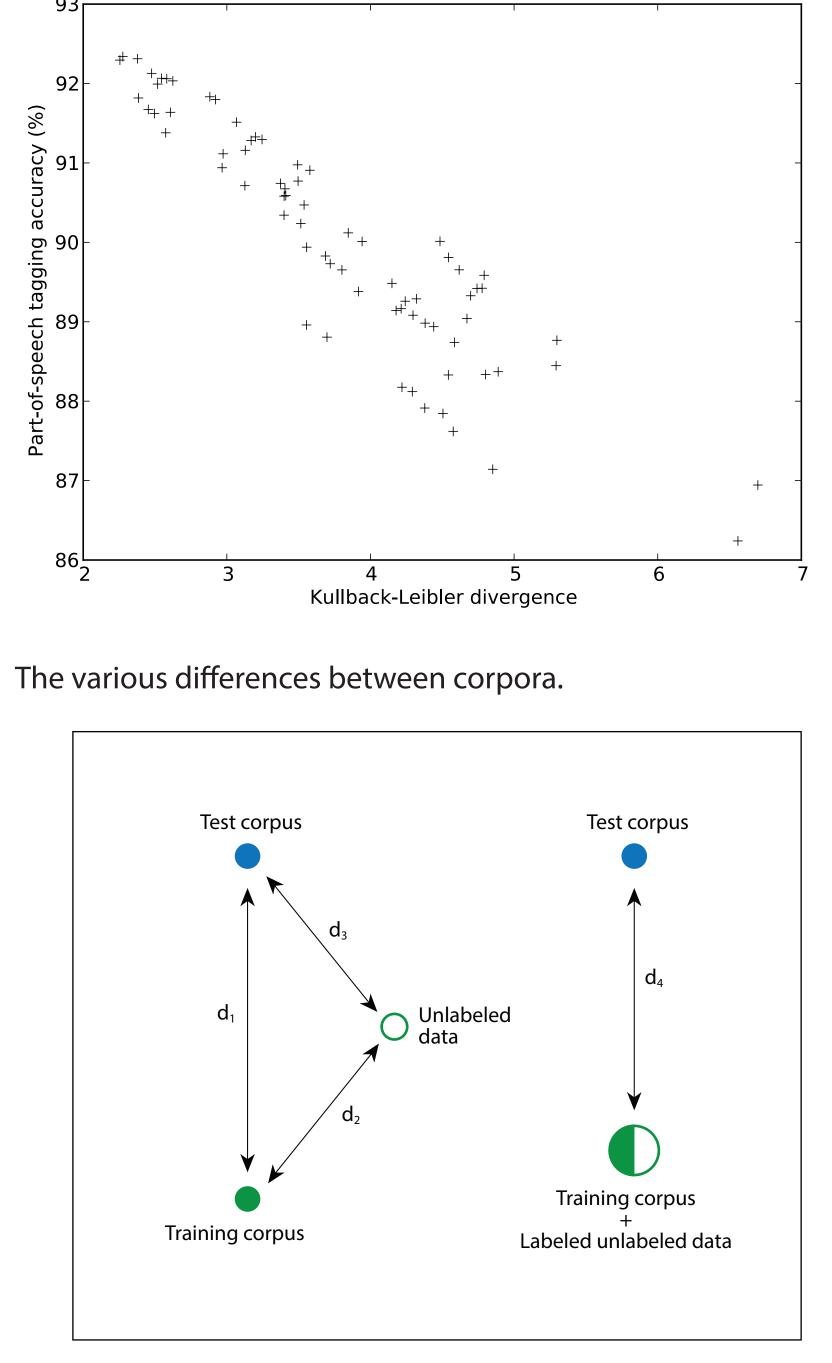
TRAIN EXTRA TEST

Research question

Sagae (2010) argues that self-training is only beneficial if training and test data are sufficiently dissimilar. But how to identify situations for which self-training helps?

Observations

Performance of a part-of-speech experiment is inversely proportional to the dissimilarity of the corpora involved.



If δ is +1, gain is expected; if δ is -1 no gain is expected.

Corpus and machine learner

Part-of-speech tagging experiments using the British National Corpus (2001).

Nine domains, each domain corpus limited to 1,500,000 tokens.

Nine domains, three domains needed per self-training experiment means 504 self-training experiments (74 with performance gain; 430 without).

The machine learner is MBT (Daelemans & van den Bosch, 2005) because of its competitive performance and processing speed.

Self-training gain prediction

Name	F-score
Rényi	25.15 - 42.33*
Kullback - Leibler	40.79*
Skew	33.13* - 42.94*
sUWR	38.04*
Jensen-Shannon	41.72*
Baseline	25.61
Overlap	22.09

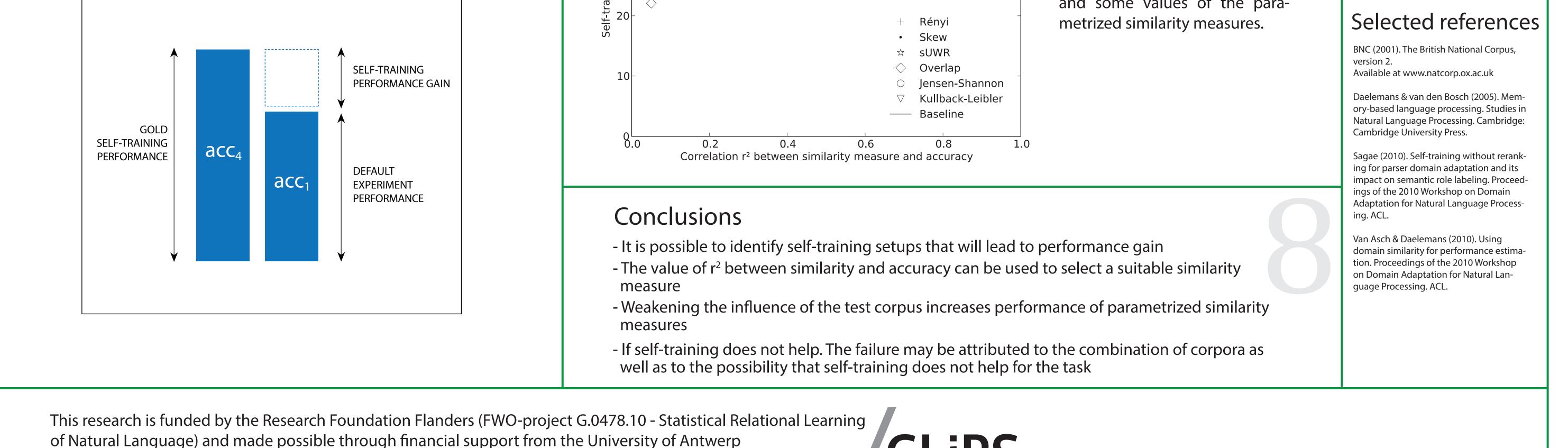
Baseline: assume that all self-training setups lead to performance gain.

Using the performance indicator δ almost always helps to identify self-training gain.

Rényi and Skew divergence have a parameter α .

Rényi divergence $\boldsymbol{R}(\mathsf{P};\mathsf{Q};\alpha) =$ with $\alpha \geq 0$ Skew divergence $S(P; Q; \alpha) =$ $KL(Q; \alpha P + (1-\alpha)Q)$ with α in [0, 1] Jensen-Shannon JS(P; Q) = $\frac{1}{2}$ *KL* $\left(P; \frac{P+Q}{2}\right) +$ $\frac{1}{2}$ *KL* $\left(Q; \frac{P+Q}{2}\right)$

sUWR *sUWR*(P; Q) =



* indicates when performance is significantly (5%) better than baseline. Using approximate randomization testing.

Similarity measure selection

Name

Rényi

Skew

sUWR

Overlap

Kullback - Leibler

Jensen-Shannon

r²

0.986

0.874

0.863

0.051

0.083 - 0.987

0.224 - 0.985

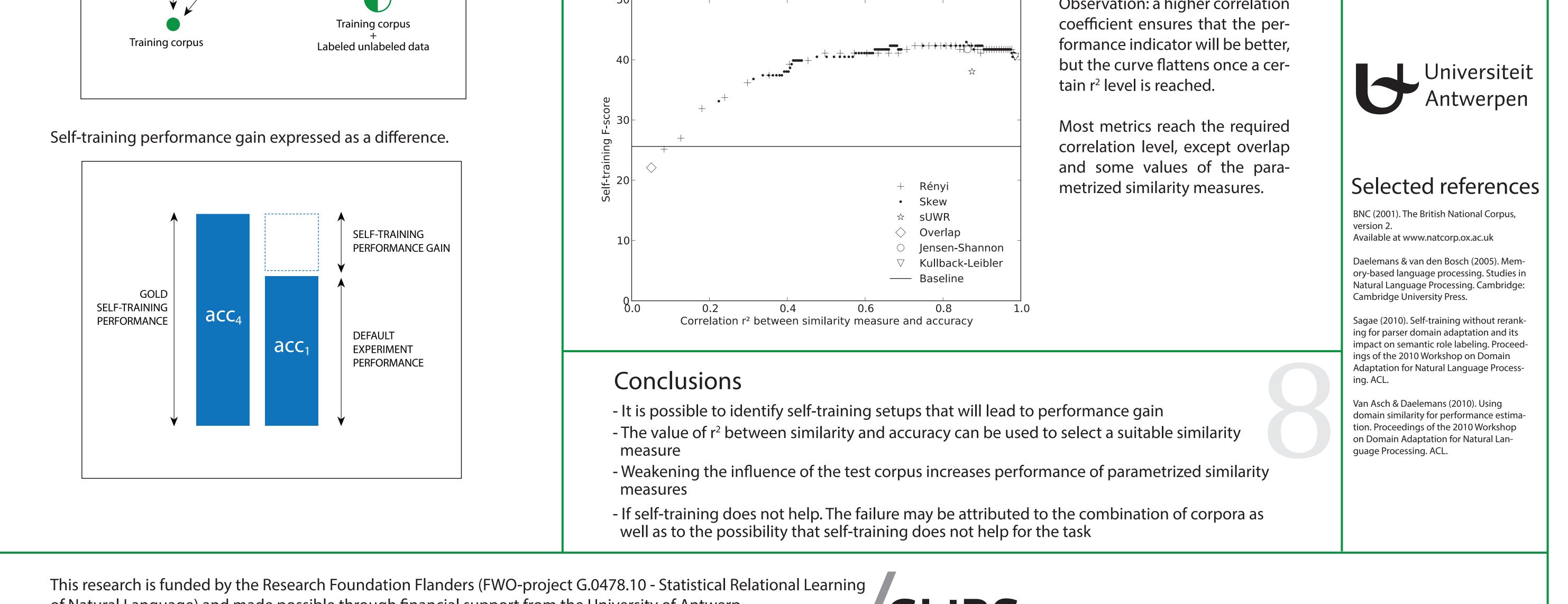
Observation: increasing the influence of the test corpus in both similarity measure leads to a decrease in performance.

the number of tokens that are in test P, but not in train Q divided by the number of tokens in test P

Overlap

Overlap(P; Q) =

the number of tokens that are in train Q, but not in test P divided by the number of tokens in train Q



Observation: a higher correlation



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Additional research question: Is the correlation coefficient between similarity and accuracy a good criterion for selecting the best similarity measure?

(GOA project BIOGRAPH).

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